

SYMBOL	DESCRIPTION
$f(\)$	ALICE'S AND BOB'S COMBINING FUNCTION
I_A, I_B	ALICE'S AND BOB'S DISCARDABLE INITIALIZATION VECTOR
K_A, K_B	ALICE'S AND BOB'S PRIVATE SESSION KEY
M_A, M_B	ALICE'S AND BOB'S PUBLIC KEY
N_A, N_B	ALICE'S AND BOB'S RANDOM NONCE FOR KEY VERIFICATION
N_A+1, N_B+1	MODIFIED (INCREMENTED) RANDOM NONCES
α, β	ALICE'S AND BOB'S CONGRUENT EXPONENTIAL BASE; (ALICE'S AND BOB'S MODULO VARIABLE)
P_A, P_B	ALICE'S AND BOB'S SECRET PASSWORDS
R_A, R_B	ALICE'S AND BOB'S PRIVATE RANDOM NUMBERS
S_A, S_B	ALICE'S AND BOB'S HIGH-ENTROPY SECRET
$(Y)_X$	ENCRYPT CLEARTEXT, Y, WITH KEY X
$(Z)^{-1}_X$	DECRYPT CIPHERTEXT, Z WITH KEY X
$(N_B)\sum_{i=2}^n$	SUPERENCRYPT PLAINTEXT, N_B , WITH VARIABLE KEYS n

FIG. 1

200

Alice <u>202</u>	XMSN <u>203</u>	Bob <u>204</u>
Generate R_A <u>206</u>		Generate R_B <u>208</u>
$M_A = \alpha^{R_A} \bmod \beta$ <u>210</u>		$M_B = \alpha^{R_B} \bmod \beta$ <u>212</u>
transmit M_A <u>214</u>	<u>214</u> →	$K_B = (M_A)^{R_B} \bmod \beta$ <u>216</u>
$K_A = (M_B)^{R_A} \bmod \beta$ <u>220</u>	← <u>218</u>	transmit M_B <u>218</u>
CONTINUE <u>222</u>		CONTINUE <u>226</u>
Encrypted Two way transmissions <u>224</u>	↔ <u>230</u>	Encrypted Two way transmissions <u>228</u>

FIG. 2 (Prior Art)

300

Alice <u>202</u>	XMSN <u>303</u>	Bob <u>204</u>
Generate N_A <u>302</u>		Generate N_B <u>304</u>
encrypt N_A as $(N_A)_{K_A}$ <u>306</u>		
transmit $(N_A)_{K_A}$ <u>308</u>	→ <u>308</u>	$N_A = ((N_A)_{K_A})^{-1}_{K_B}$ <u>310</u>
		increment N_A as $N_A + 1$ <u>312</u>
		encrypt $(N_B, N_A + 1)_{K_B}$ <u>314</u>
$N_B = 320, N_A + 1 = 322 = ((N_B, N_A + 1)_{K_B})^{-1}_{K_A}$ <u>318</u>	← <u>316</u>	transmit $(N_B, N_A + 1)_{K_B}$ <u>316</u>
increment N_B as $N_B + 1$ <u>324</u>		
encrypt $(N_B + 1)_{K_A}$ <u>326</u>		
transmit $(N_B + 1)_{K_A}$ <u>328</u>	→ <u>328</u>	$N_B + 1 = ((N_B + 1)_{K_A})^{-1}_{K_B}$ <u>330</u>
verify $N_A + 1$ <u>332</u>		verify $N_B + 1$ <u>340</u>
If true, Bob 204 and Alice 202 <u>336</u> share the same session key $(K_A = K_B)$ CONTINUE	→ <u>334</u> If false STOP	→ <u>342</u> If false STOP If true, Alice 202 and Bob 204 <u>344</u> share the same session key $(K_A = K_B)$ CONTINUE
Encrypted Two way transmissions <u>338</u>	↔ <u>348</u>	Encrypted Two way transmissions <u>346</u>

FIG. 3 (Prior Art)

400

Alice 402	XMSN 403	Bob 404
Store password P_A 406 and identity 408 410		Store password P_B 414 and identity 416 412
Generate N_A 418		Generate N_B 420
transmit identity 408, and service request 424 422	422 →	Obtain password P_B 414 and identity 416 from identity 408 424
		verify identity 408 = identity 416 426
		If true, Alice 403 is IDENTIFIED to Bob 404, CONTINUE 430 If false STOP 428
encrypt N_B as $(N_B)_{P_A}$ 440	← 438	transmit N_B 438
transmit N_A 418, $(N_B)_{P_A}$ 440 442	442 →	verify $N_B = ((N_B)_{P_A})^{-1} P_B$ 444
		If true, Alice 402 is AUTHENTICATED to Bob 404, CONTINUE 448 If false STOP 446
		encrypt N_A as $(N_A)_{P_B}$ 450
verify $N_A = ((N_A)_{P_B})^{-1} P_A$ 454	← 452	transmit $(N_A)_{P_B}$ 452
If true, Bob 404 is AUTHENTICATED to Alice 402, CONTINUE 458	If 456 false STOP	CONTINUE 462
Unencrypted Two way transmissions 460	466	Unencrypted Two way transmissions 464

FIG. 4

500

Alice	502	XMSN	503	Bob	504
Store password P_A 506 and identity 508	<u>510</u>			Store password P_B 514 and identity 516	<u>512</u>
Generate R_A	<u>518</u>			Generate R_B 522 and N_B 524	<u>520</u>
$M_A = (\alpha)^{R_A} \bmod \beta$	<u>526</u>			$M_B = (\alpha)^{R_B} \bmod \beta$	<u>528</u>
transmit identity 508, M_A 526, and service request 532	<u>530</u>			Obtain password P_B 514 and identity 516 based on identity 508	<u>534</u>
				verify identity 508 = identity 516	<u>536</u>
				544 If true, Alice 502 is IDENTIFIED to Bob 504; CONTINUE	<u>538</u>
				<u>542</u> generate random P_B 542; CONTINUE	<u>540</u>
					STOP
				$K = K_B = (M_A)^{R_B} \bmod \beta$	<u>546</u>
				$S = S_B = f(P_B, M_A, M_B)$	<u>548</u>
				encrypt N_B as $(N_B)_S$	<u>550</u>
				encrypt $(N_B)_S$ as $((N_B)_S)_K$	<u>552</u>
$K = K_A = (M_B)^{R_A} \bmod \beta$	<u>556</u>		<u>554</u>	transmit $M_B, ((N_B)_S)_K$	<u>554</u>
$S = S_A = f(P_A, M_A, M_B)$	<u>558</u>				
$N_B = (((N_B)_S)_K)^{-1} S$	<u>560</u>				
Generate N_A	<u>562</u>				
modify N_B as $N_{B_A} + 1$	<u>564</u>				
encrypt $N_A, N_B + 1$ as $(N_A, N_B + 1)_S$			<u>566</u>		
encrypt $(N_A, N_B + 1)_S$ as $((N_A, N_B + 1)_S)_K$			<u>568</u>		
transmit $((N_A, N_B + 1)_S)_K$	<u>570</u>		<u>570</u>	$N_A 574, N_B + 1 576 = (((N_A, N_B + 1)_S)_K)^{-1} S$	<u>572</u>
				verify $N_B + 1 576 - 1 = N_B$	<u>524</u>
				578 If true, Alice 502 is AUTHENTICATED to Bob 504; CONTINUE	<u>579</u>
					STOP <u>579</u>
					<u>580</u>
One way transmissions	<u>582</u>		<u>582</u>	Open one way link	<u>581</u>
				generate I_B	<u>583</u>

FIG. 5A

Alice	<u>502</u>	XMSN	<u>503</u>	Bob	<u>504</u>
				If true, Alice 502 is AUTHENTICATED to Bob 504; CONTINUE	If true, <u>580</u> Alice 502 is AUTHENTICATED to Bob 504; CONTINUE If false STOP <u>579</u>
One way transmissions	<u>582</u>		582 →	Open one way link <u>581</u>	generate I_B <u>583</u>
				modify N_A as N_A+1	<u>584</u>
				encrypt I_B, N_A+1 as $(I_B, N_A+1)_S$	<u>586</u>
				encrypt $(I_B, N_A+1)_S$ as $((I_B, N_A+1)_S)_K$	<u>588</u>
I_B 591, N_A+1 592 = $((((I_B, N_A+1)_S)_K)_S)_K - 1_S$	<u>590</u>		589 ← →	transmit $((I_B, N_A+1)_S)_K$	<u>589</u>
verify N_A+1 592 – 1 = N_A 562	<u>593</u>			CONTINUE	<u>597</u>
If true, Bob 504 is IDENTIFIED and AUTHENTICATED to Alice 502, CONTINUE	<u>595</u>	594 If false STOP			
Encrypted Two way transmissions	<u>596</u>		599 ← →	Encrypted Two way transmissions	<u>598</u>

FIG. 5B

600

Alice 602	XMSN 603	Bob 604	
Store password P_A 606 and identity 608	610	Store password P_B 614 and identity 616	612
Generate R_A 620 and N_A 622	618	Generate R_B 626 and N_B 628	624
$M_A = (\alpha)^{R_A} \bmod \beta$	630	$M_B = (\alpha)^{R_B} \bmod \beta$	632
encrypt N_A as $(N_A)_P$	634		
transmit identity 608, M_A 630, $(N_A)_P$ 634, and service request 638	636	636 → Obtain password P_B 614 and identity 616 based on identity 608	640
	642	verify identity 608 = identity 616	
		If true, 650 Alice 602 is IDENTIFIED to Bob 604; CONTINUE	If false 644 648 generate random P_B 648; 646 STOP CONTINUE
		$N_A = ((N_A)_P)^{-1}_P$	652
		$K = K_B = (M_A)^{R_B} \bmod \beta_B$	654
		$S = S_B = f(P_B, M_A, M_B)$	656
		modify N_A as $N_A + 1$	658
	660	encrypt $(N_B, N_A + 1)$ as $(N_B, N_A + 1)_S$	
	662	encrypt $(N_B, N_A + 1)_S$ as $((N_B, N_A + 1)_S)_K$	
$K = K_A = (M_B)^{R_A} \bmod \beta$	665	664 → transmit $M_B, ((N_B, N_A + 1)_S)_K$	664
$S = S_A = f(P_A, M_A, M_B)$	668		
N_B 672, $N_A + 1$ 674 = $((((N_B, N_A + 1)_S)_K)^{-1}_K)^{-1}_S$	670		
verify $N_A + 1$ 674 - 1 = N_A 622	676		
If true, Bob 604 is IDENTIFIED and AUTHENTICATED to ALICE 502; CONTINUE	678	If 677 false STOP	
	679	680	One way transmissions 680
generate I_A	681		

FIG. 6A

600

Alice <u>602</u>	XMSN <u>603</u>	Bob <u>604</u>
If true, Bob 604 is IDENTIFIED and AUTHENTICATED to ALICE 502; <u>678</u> CONTINUE	If <u>677</u> false STOP	
Open one way link <u>679</u>	680	Open one transmissions <u>680</u>
generate I_A <u>681</u>		
modify N_B as N_B+1 <u>682</u>		
encrypt I_A, N_B+1 as $(I_A, N_B+1)_S$ <u>683</u>		
encrypt $(I_A, N_B+1)_S$ as $((I_A, N_B+1)_S)_K$ <u>684</u>		
transmit $((I_A, N_B+1)_S)_K$ <u>685</u>	685	$I_A, N_B+1 = 686$ $((((I_A, N_B+1)_S)_K)-1_K)-1_S$
CONTINUE <u>696</u>		verify $N_B+1 = 688 - 1 = 690$ $N_B = 628$
		If true, Alice 602 is AUTHENTICATED to Bob 604, <u>693</u> CONTINUE
Encrypted <u>698</u> Two way transmissions	699	Encrypted <u>694</u> Two way transmissions

FIG. 6B

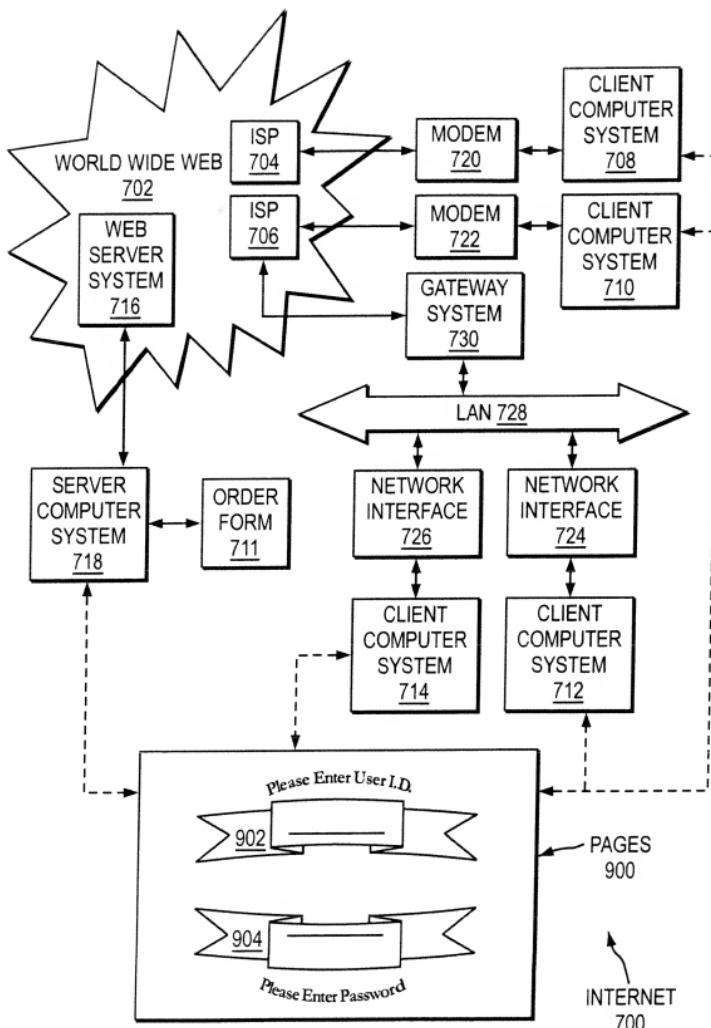


FIG. 7

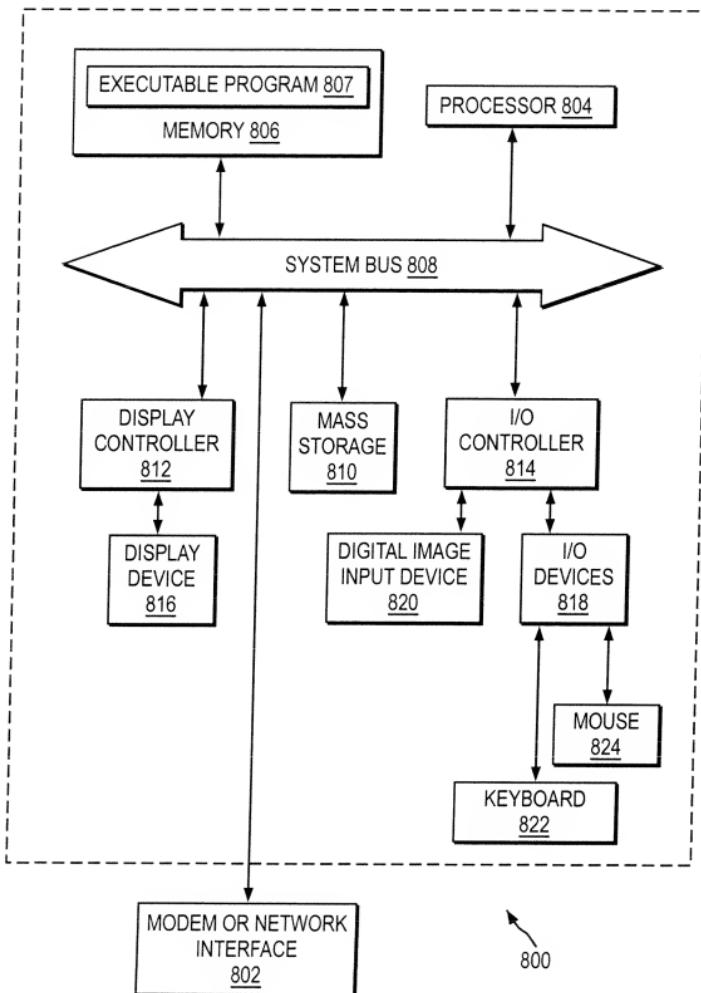


FIG. 8